

**DEFINITION OF FINITE SIZE AND VARIABLE MASS OF PHOTONS
IN THE EXTENDED SPACE MODEL**

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In the ESM 5-vectors of energy-momentum-mass are compared to particles and fields. They are a generalization of the usual 4-vectors of energy-momentum. These vectors are belong to the 5-dimensional Extended space $G(1, 4)$. Vectors, which are correspond to free particles, both massive and massless, are isotropic, i.e. their length in the space $G(1; 4)$ is equal to zero. The transformations of such vectors can be described by rotations in the Extended space. These rotations are belonged to group $O(1, 4)$, the Lorentz group $O(1, 3)$ is a subgroup of this group. Using such transformations it is possible to describe an external action at the particle, as well as the particle entering into a certain environment or field. The fifth coordinate of the energy-momentum-mass vector corresponds to the mass of the particle. The transformations of the group $O(1; 4)$ can change this mass. In particular a photon can get non-zero mass, and this mass can be both positive and negative [1-3].

In the frames of the ESM one can establish a connection between the mass of a particle and its dimension. The starting point for us is the analogy between the dispersion relation of a free particle and the dispersion relation of wave mode in a hollow metal waveguide. The dispersion relation for waves in the waveguide contains a term that corresponds to the critical frequency of the waveguide mode. The value of this cut-off frequency is defined by the linear size of the waveguide. In the dispersion relation of a free particle this term corresponds to mass of the particles. With the help this analogy one can associate with a particle a linear parameter, which is determined by its mass. Thus, the scheme by which size is an associate with a particle as follows. In an empty Minkowski space a free particle is described by a plane wave. When it gets into environment, or in an external field, its mass changes, that is described by a hyperbolic rotation in the Extended space. Some linear parameter can be associated with this new mass. We interpret this linear parameter as a particle size. For a photon the formula for a size l reads

$$l = 2\pi c / (\omega \times \text{sh}\theta).$$

Here, c – the speed of light, ω - frequency of the photon, and θ - the angle of rotation in the Extended space. The angle θ varies from zero to infinity ∞ , therefore the size l varies from infinity ∞ to zero.

References

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